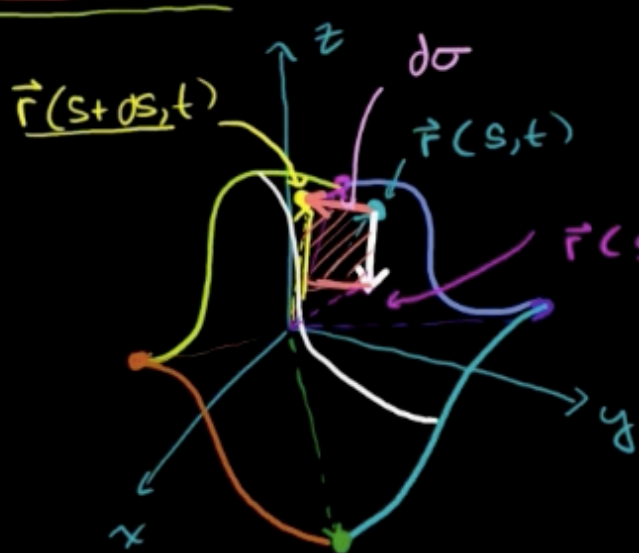
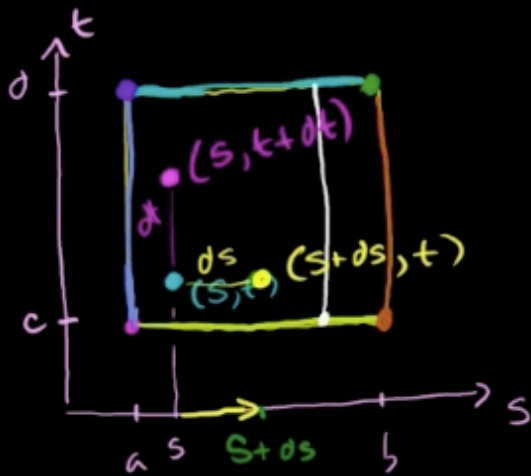


$$\frac{\partial \vec{r}}{\partial s} ds = \underline{\underline{\vec{r}(s+ds, t) - \vec{r}(s, t)}}$$

$$\frac{\partial \vec{r}}{\partial t} dt = \underline{\underline{\vec{r}(s, t+dt) - \vec{r}(s, t)}}$$



$\vec{r}(s, t)$

$|\vec{a} \times \vec{b}|$
 = area of parallelogram defined by \vec{a} & \vec{b}

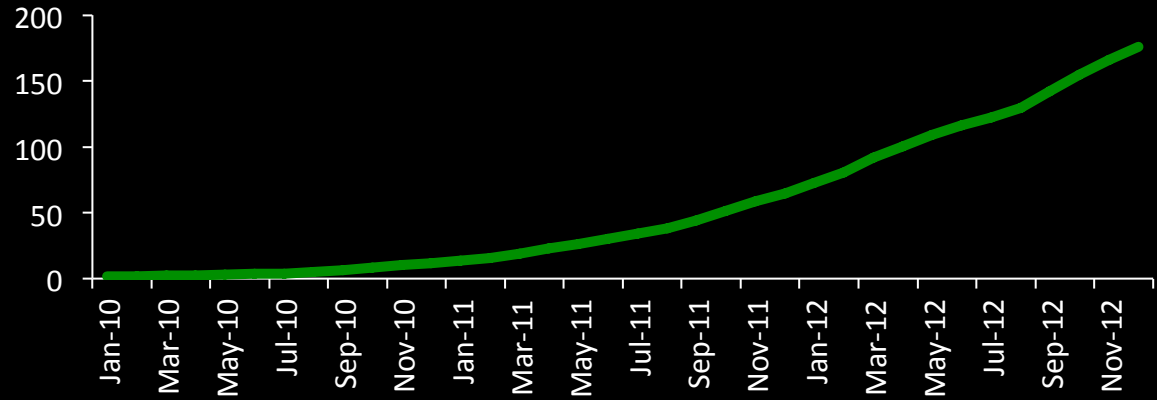


Surface area =

$$\vec{r}(s, t) = \underline{\underline{\chi(s, t) \hat{i} + \dots}}$$

Sal Khan (Multivariable Calculus)

Cumulative visits to Khan Academy (Millions)



Scale

75

million

users to date

>6 million

Unique users / month

>220 million

lessons delivered

1 billion

problems answered

216

countries

20,000

classrooms
around the world



Derivative intuition

Related videos: Calculus: Derivatives 1 (new HD version), Calculus: Derivatives 1



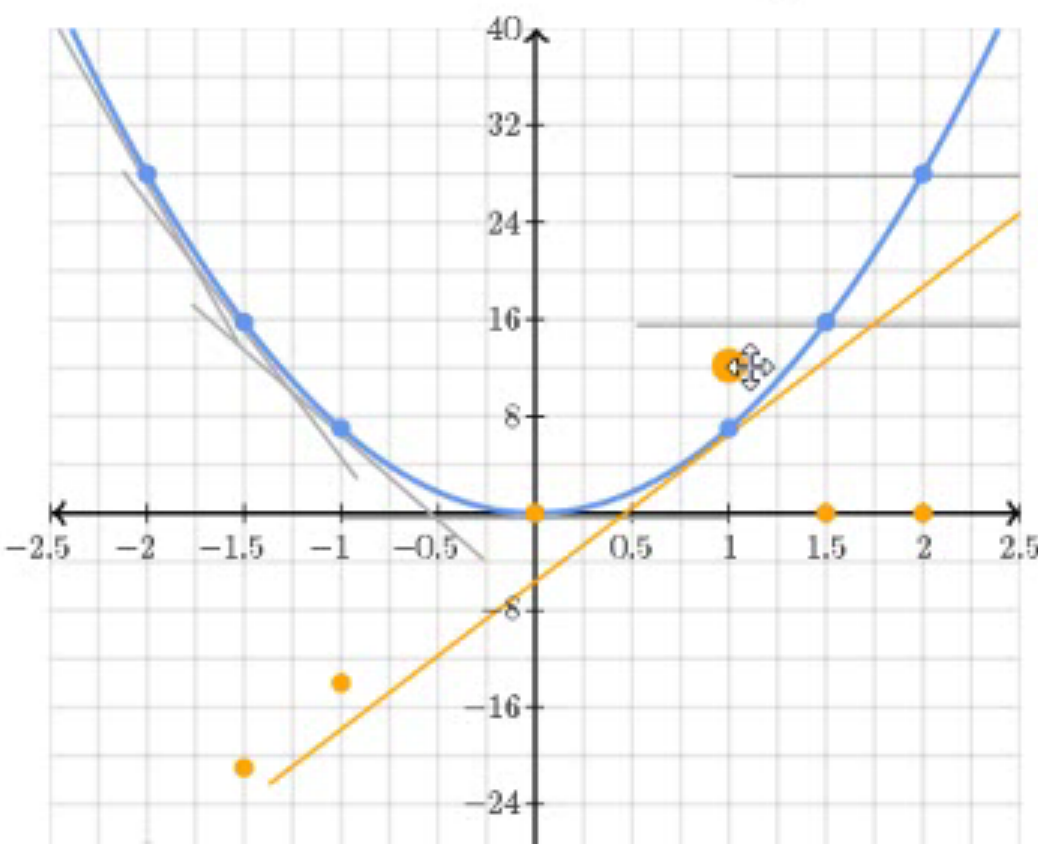
Show scratchpad | Show next 10 problems

Back to Dashboard

$$f(x) = 7x^2$$

Drag each one of the 7 orange points up and down to adjust the slope of the corresponding tangent line.

The derivative of a function is defined as the slope of a line tangent to the curve at each point. Adjust the slopes of the lines to visually find the derivative $\frac{d}{dx} f(x)$ at each point.



Answer

$$\frac{d}{dx} f(-2) = -28$$

$$\frac{d}{dx} f(-1.5) = -21$$

$$\frac{d}{dx} f(-1) = -14$$

$$\frac{d}{dx} f(0) = 0$$

$$\frac{d}{dx} f(1) = 12.17$$

$$\frac{d}{dx} f(1.5) = 21$$

$$\frac{d}{dx} f(2) = 28$$

Check Answer

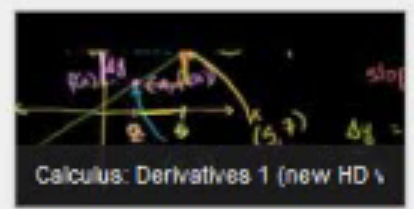
Need help? Get a hint.

This *will* reset your streak!

I'd like a hint

Stuck? Watch a video.

This *does not* reset your streak.



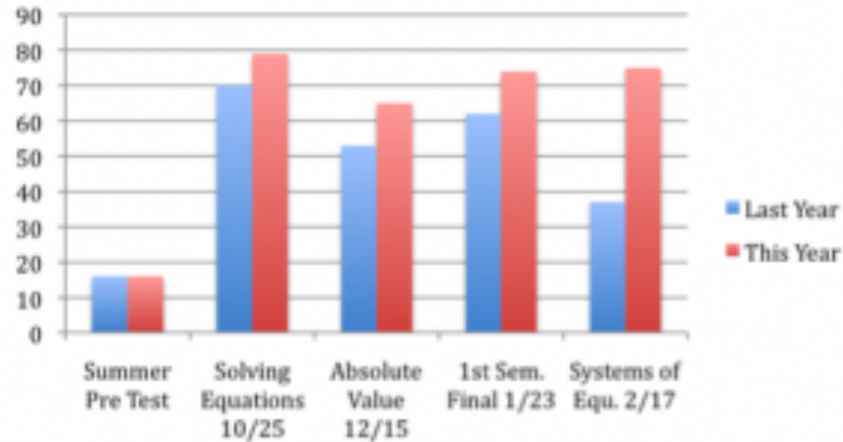


Changing lives

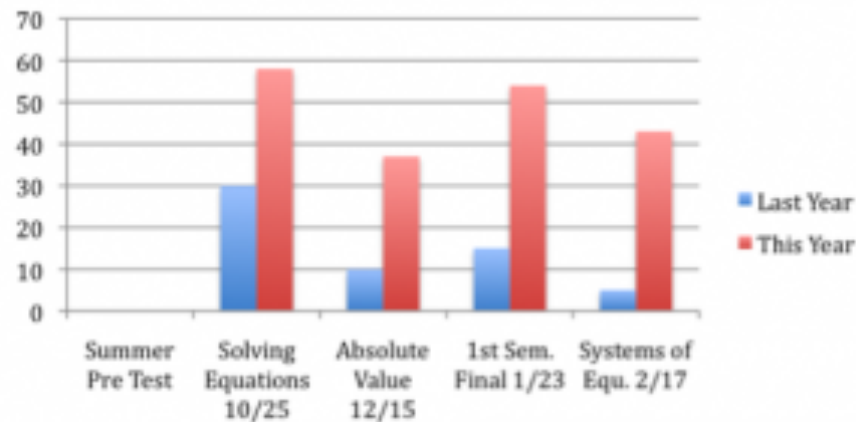
“We recognized that we had found a powerful tool that reached students and changed their habits in ways we had never even considered possible.”



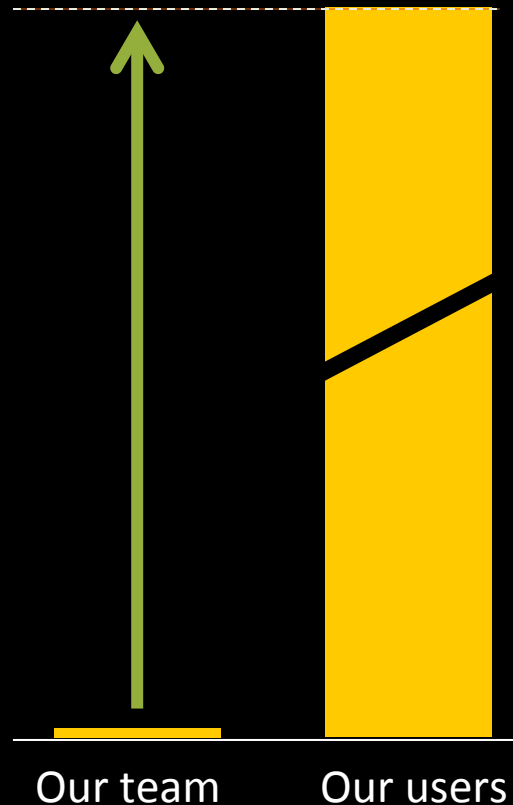
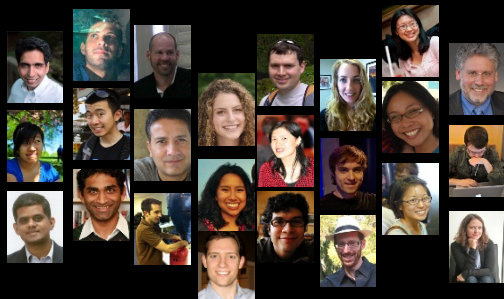
Mean Score (%)



Percent of Students Above 80%



Small team. Huge scale.



In the last year,
24 employees
reached
43 million
unique students
in 216 countries