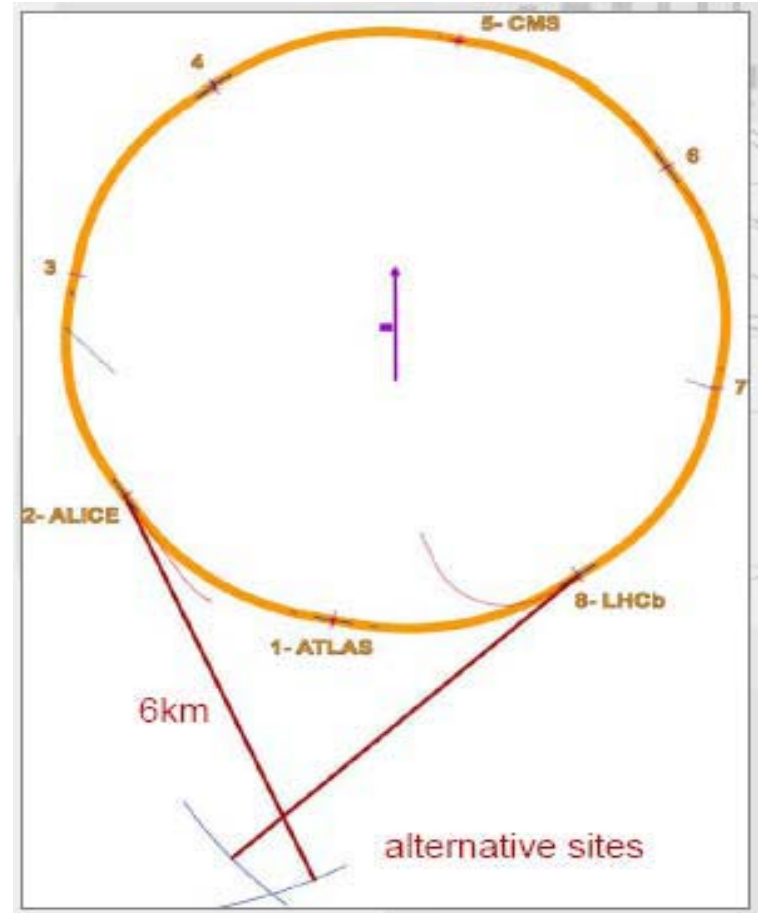
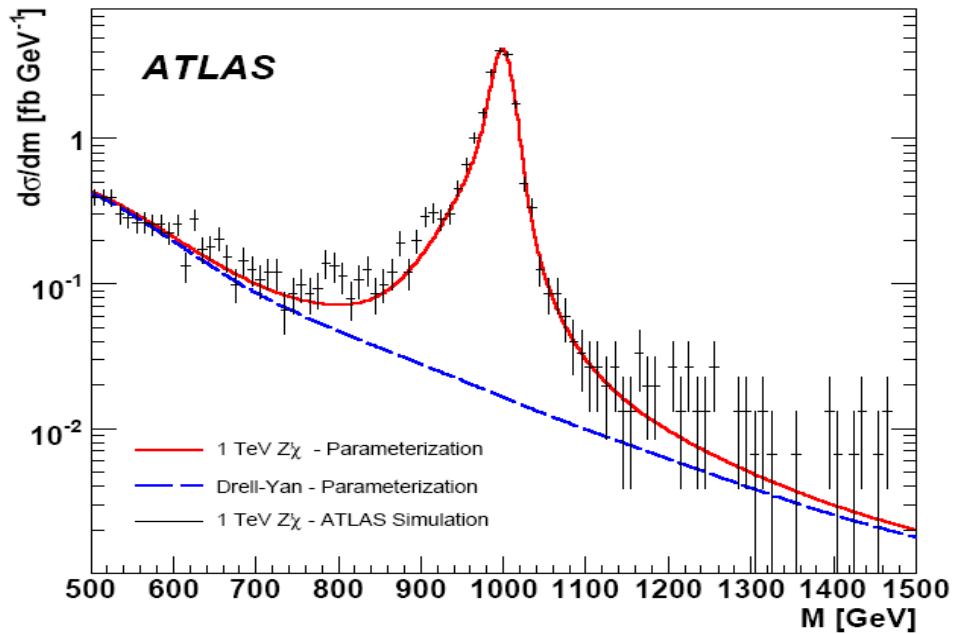


Z' Physics at LHC & the LHeC



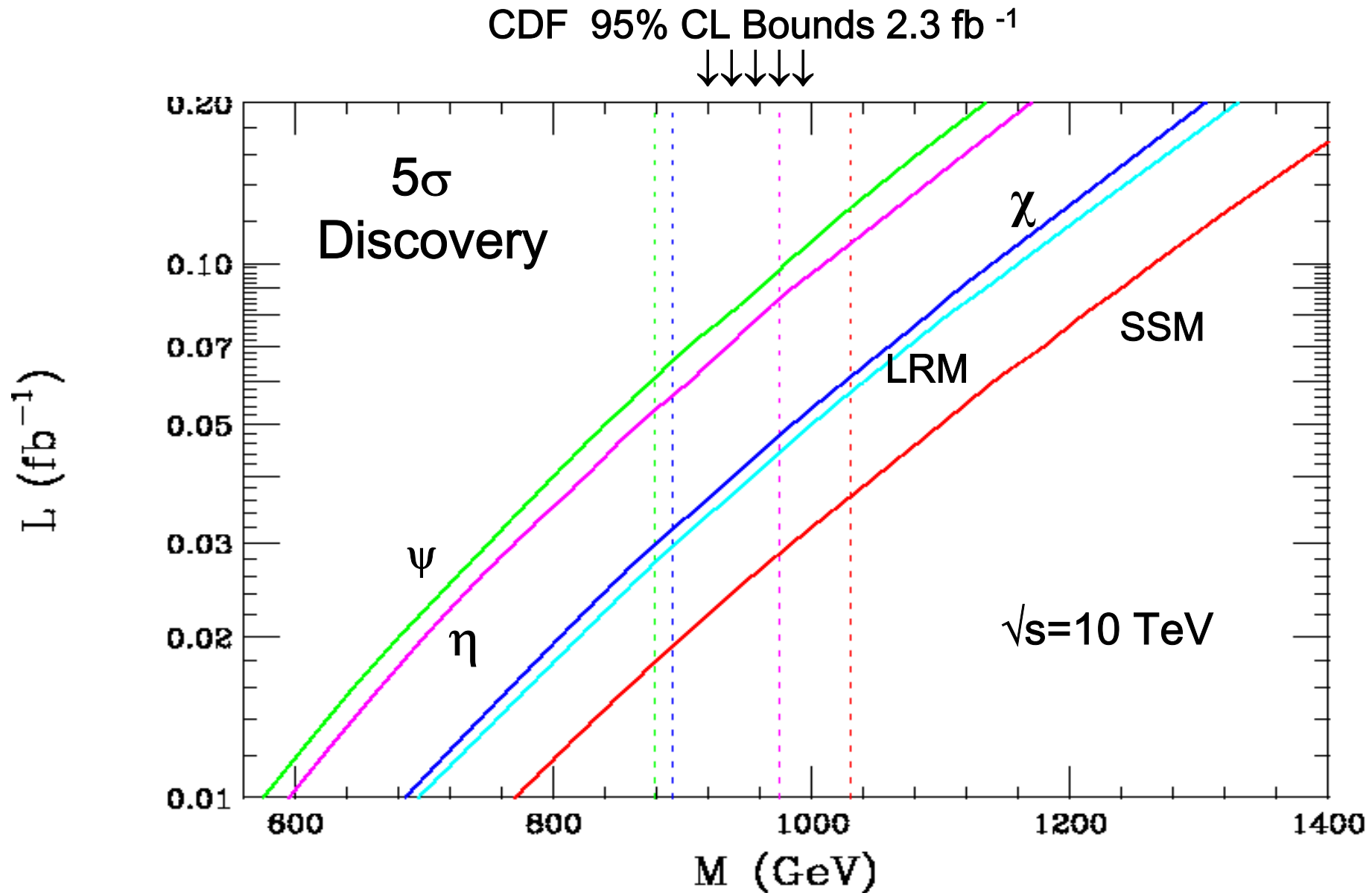
T. Rizzo 08/01/08
arXiv:0804.0081

A Z'-like object at the TeV scale in Drell-Yan is a very common prediction in *many* BSM scenarios:

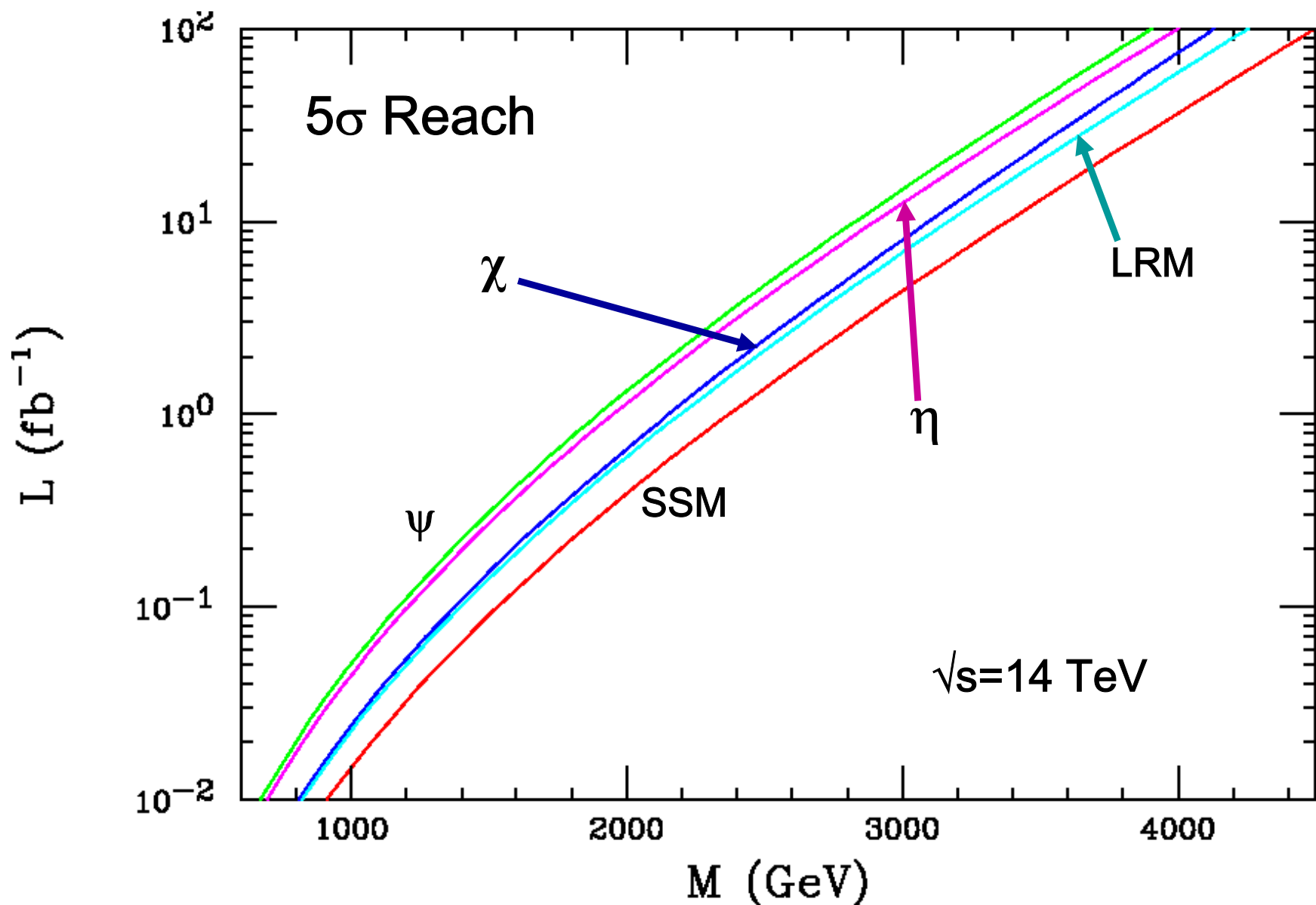
- Extended SUSY-GUT groups
- R-Parity violating SUSY
- String constructions/intersecting branes
- Little Higgs models
- Hidden Valley/mediation models
- Extra dimensions: gauge & graviton KK's
- String excitations
- Unparticles
-
-

The LHC will open up a window to look for such states very soon now...

$Z' \rightarrow$ leptons is a very clean mode and may provide the first signal of new physics to be observed at the LHC... *even* with $\sqrt{s}=10$ TeV and a low integrated luminosity...

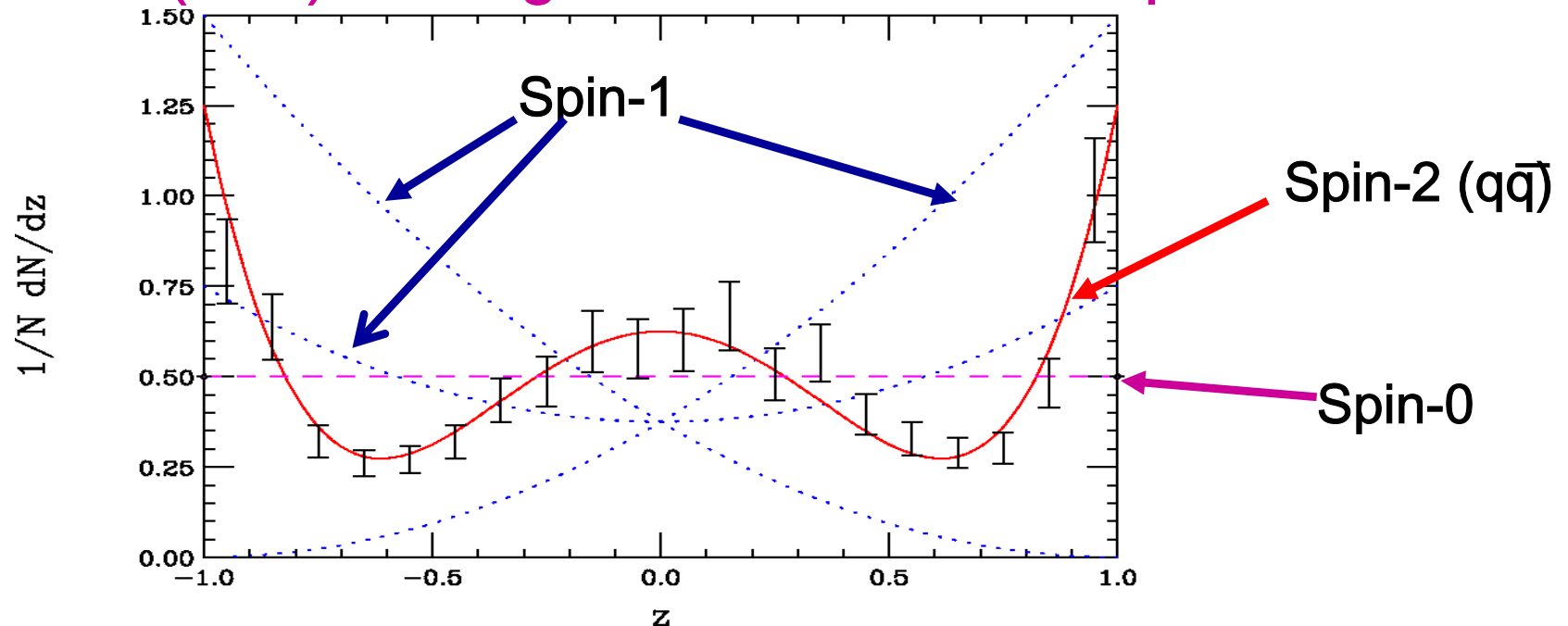


Eventually the Z' 5σ reach will extend up to 4 TeV and beyond for 'conventional' GUT-inspired models once sufficient lumi is accumulated....



If a resonance, X , is observed in the Drell-Yan channel, what do we want to know about it? Plenty!!

- lineshape: e.g., mass (M), cross section (σ), width (Γ), etc. \rightarrow detector resolution!
- spin = ??? Is it a graviton ($S=2$), a sneutrino ($S=0$) or a gauge boson ($S=1$)? \rightarrow angular distribution of leptons



- Determine the couplings of X to the fields of the SM. (Note if $X \rightarrow \gamma\gamma$ then $S \neq 1$). If $X=Z'$, this is important if we want to expose the underlying fundamental theory

How many **independent** couplings are there?? Even in the *simplest* possible scenario, where the Z' couples in a generation-independent manner and $[Q_{Z'}, SU(2)_L]=0$, there are 5 coupling constants to determine corresponding to the 5 SM fields Q, L, u^c, d^c & e^c . Are there enough observables at the LHC to uniquely determine these quantities??

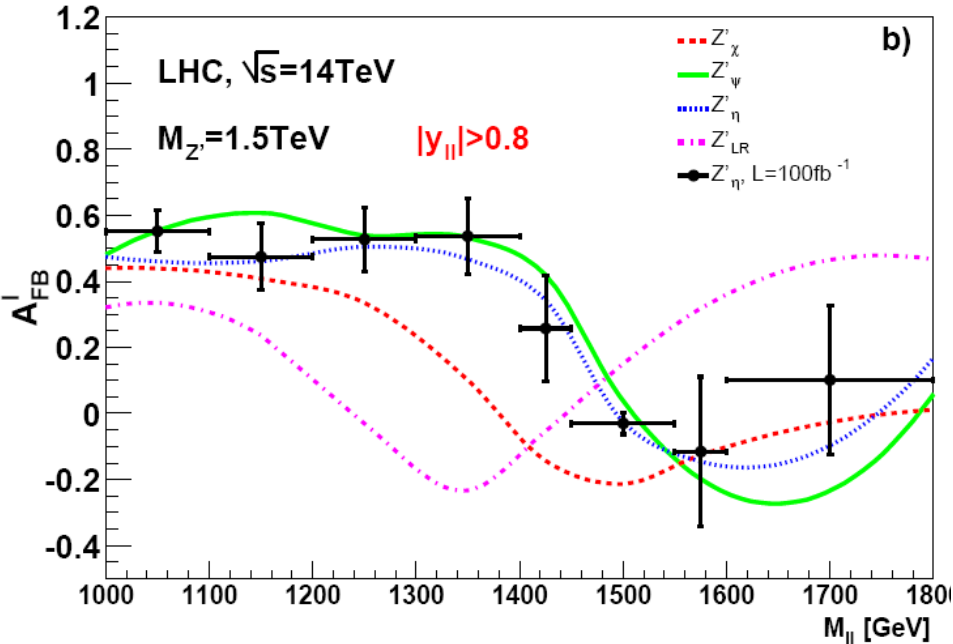
Unfortunately, No!!!

Remember also that we want to do this coupling determination with as few additional assumptions as possible, e.g., allowing for the possible decay of the Z' into **non-SM** final states. Then what observables do we have to perform this analysis???

- σ & Γ independently are sensitive to decay assumptions but the product $\sigma\Gamma \sim$ is *not*. This product can be determined at the $\sim 5-10\%$ uncertainty level at the LHC with high lumi.

- A_{FB} both on- & off- resonance

Forward backward asymmetry measurement

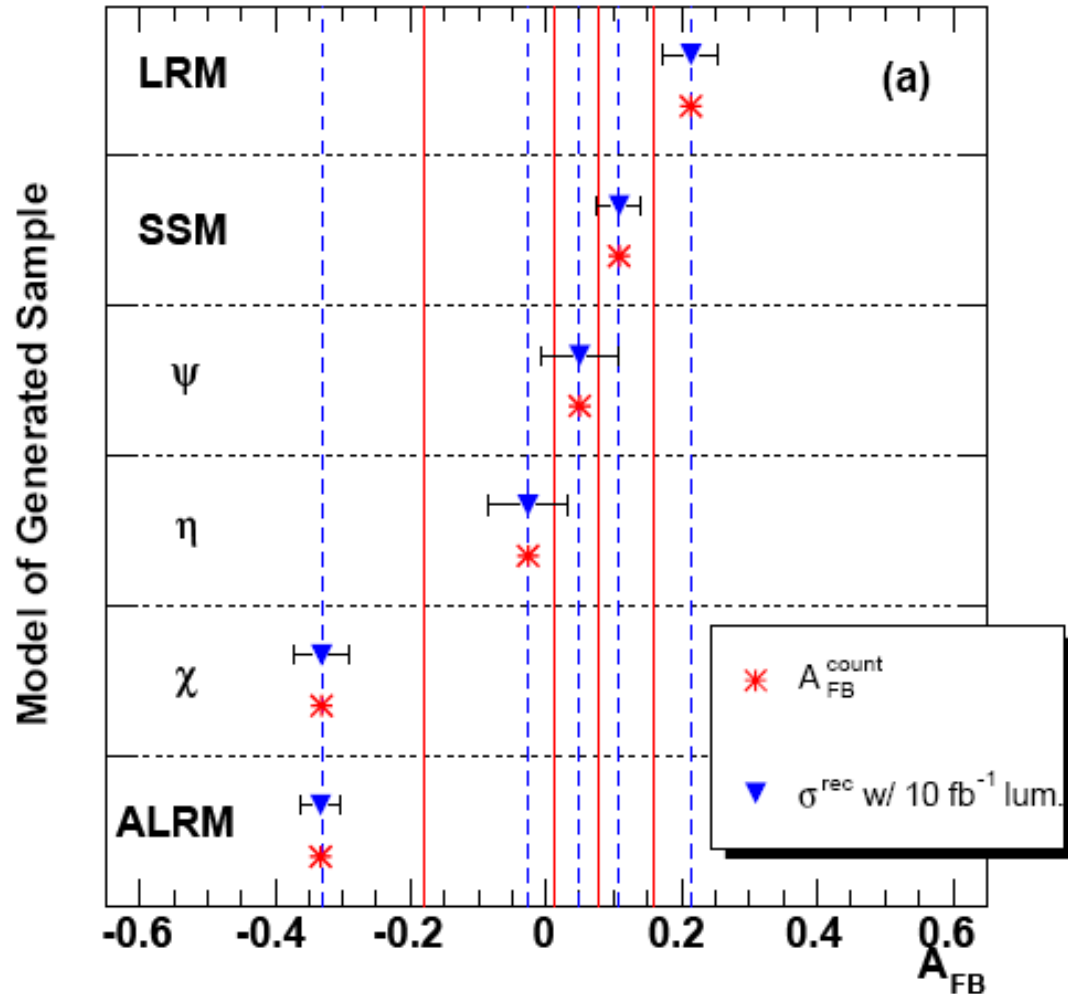


M. Dittmar et al.

$$\frac{d\sigma}{d\cos\theta} \sim \frac{3}{8}(1 + \cos^2\theta) + A_{FB}\cos\theta$$

On-peak A_{FB}^{count} and σ^{rec} , 1 TeV

CMS



ATLAS/CMS simulations indicate these can be reasonably well measured at the LHC:

ATLAS

Table 1.3. Measured on-peak A_{FB} for all studied models in the central mass bin from ATLAS. Here the raw value obtained before dilution corrections is labeled as ‘Observed’.

Model	$\int \mathcal{L}(fb^{-1})$	Generation	Observed	Corrected
1.5 TeV				
<i>SSM</i>	100	$+0.088 \pm 0.013$	$+0.060 \pm 0.022$	$+0.108 \pm 0.027$
χ	100	-0.386 ± 0.013	-0.144 ± 0.025	-0.361 ± 0.030
η	100	-0.112 ± 0.019	-0.067 ± 0.032	-0.204 ± 0.039
η	300	-0.090 ± 0.011	-0.050 ± 0.018	-0.120 ± 0.022
ψ	100	$+0.008 \pm 0.020$	-0.056 ± 0.033	-0.079 ± 0.042
ψ	300	$+0.010 \pm 0.011$	-0.019 ± 0.019	-0.011 ± 0.024
<i>LR</i>	100	$+0.177 \pm 0.016$	$+0.100 \pm 0.026$	$+0.186 \pm 0.032$
4 TeV				
<i>SSM</i>	10000	$+0.057 \pm 0.023$	-0.001 ± 0.040	$+0.078 \pm 0.051$
<i>KK</i>	500	$+0.491 \pm 0.028$	$+0.189 \pm 0.057$	$+0.457 \pm 0.073$

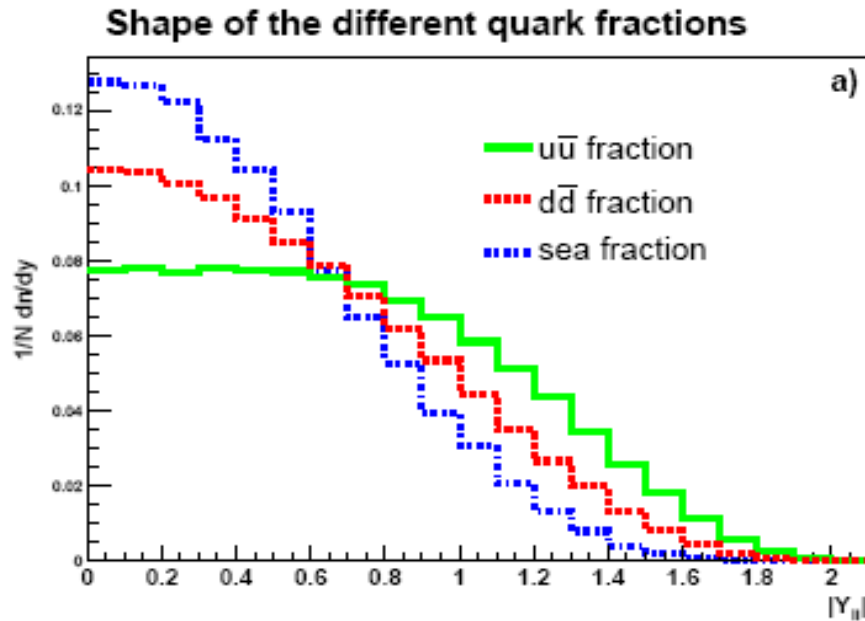
Table 1.4. Measured off peak, $0.8 < M < 1.4$ TeV, A_{FB} for all studied models from ATLAS using the same nomenclature as above.

Model	$\int \mathcal{L}(fb^{-1})$	Generation	Observed	Corrected
1.5 TeV				
<i>SSM</i>	100	$+0.077 \pm 0.025$	$+0.086 \pm 0.038$	$+0.171 \pm 0.045$
χ	100	$+0.440 \pm 0.019$	$+0.180 \pm 0.032$	$+0.354 \pm 0.039$
η	100	$+0.593 \pm 0.016$	$+0.257 \pm 0.033$	$+0.561 \pm 0.039$
ψ	100	$+0.673 \pm 0.012$	$+0.294 \pm 0.033$	$+0.568 \pm 0.039$
<i>LR</i>	100	$+0.303 \pm 0.022$	$+0.189 \pm 0.033$	$+0.327 \pm 0.040$

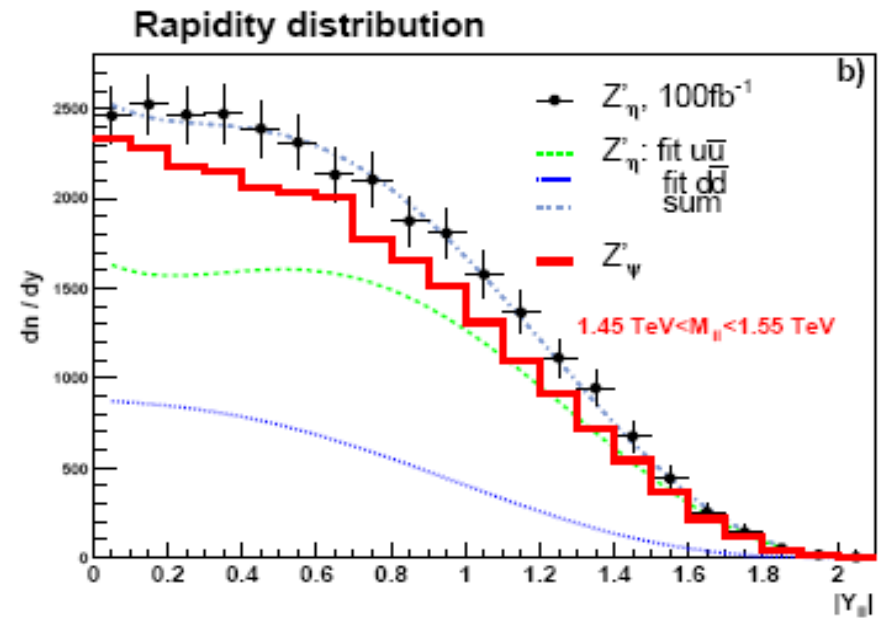
On- & off-peak
simulated
‘measurements’ of
 A_{FB} by ATLAS with
large integrated
luminosities

Rapidity distributions

M. Dittmar et al.



(a)



(b)

ATLAS

$$R = \frac{\int_{-y_1}^{y_1} \frac{d\sigma}{dy} dy}{\left[\int_{y_1}^Y + \int_{-Y}^{-y_1} \frac{d\sigma}{dy} dy \right]}$$

or fit to $R_{q\bar{q}}$, the event fraction from a given $q\bar{q}$ initial state...

Model	Generation level Fitted values (%)		Reconstruction level Fitted values (%)	
	Prop($Z' \leftarrow d\bar{d}$)	Prop($Z' \leftarrow u\bar{u}$)	Prop($Z' \leftarrow d\bar{d}$)	Prop($Z' \leftarrow u\bar{u}$)
SSM	41. \pm 10.	52. \pm 12.	22. \pm 16.	60. \pm 16.
χ	62. \pm 12.	29. \pm 14.	79. \pm 17.	17. \pm 19.
η	23. \pm 13.	75. \pm 14.	33. \pm 6.	67. \pm 8.
ψ	36. \pm 12.	61. \pm 13.	32. \pm 15.	62. \pm 17.
LR	57. \pm 4.	43. \pm 14.	53. \pm 13.	46. \pm 15.

Fig. 1.13. Comparison of $R_{q\bar{q}}$ values determined at the generator level and after detector simulation by ATLAS.

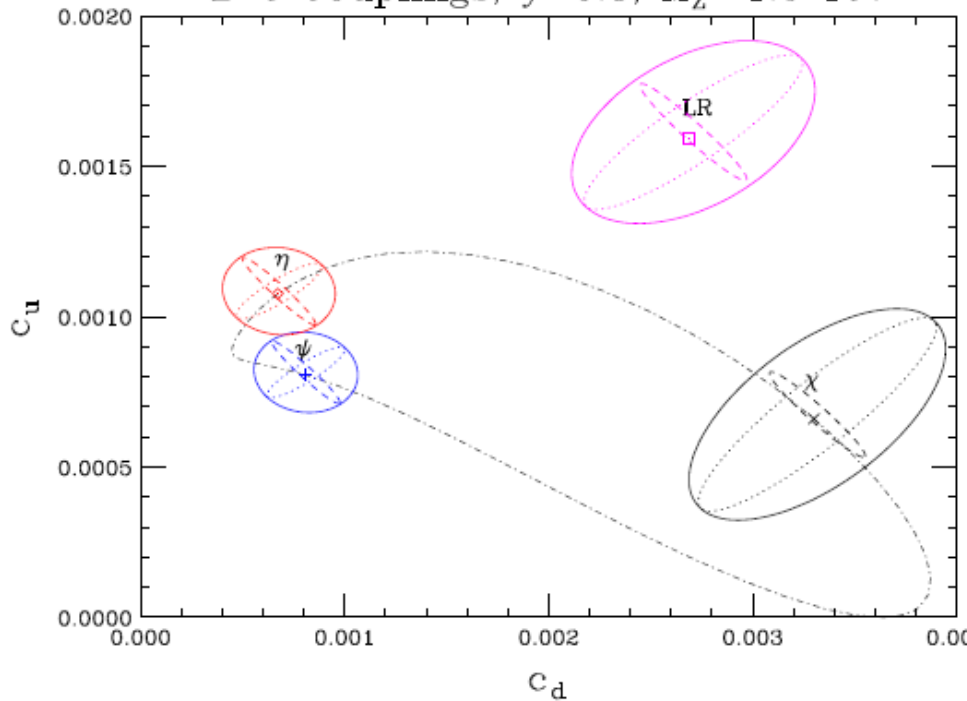
To first approximation these observables really only probe
the 4 coupling combinations

Carena et al.

$$c_q = \frac{M_{Z'}}{24\pi\Gamma} (q_R^2 + q_L^2) (e_R^2 + e_L^2) \quad \text{for } q=u,d$$

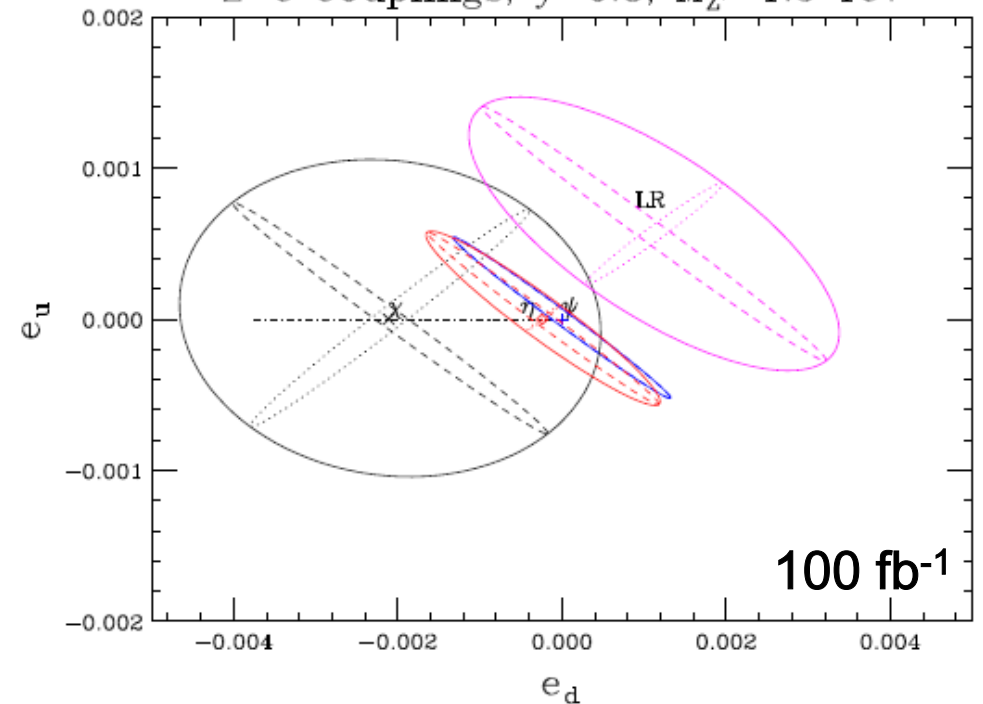
$$e_q = \frac{M_{Z'}}{24\pi\Gamma} (q_R^2 - q_L^2) (e_R^2 - e_L^2)$$

Z' c Couplings, $y=0.8$, $M_{Z'}=1.5$ TeV



Petriello & Quackenbush

Z' e Couplings, $y=0.8$, $M_{Z'}=1.5$ TeV



which can be reasonably well determined in a simultaneous fit
...even including NLO QCD contributions

This is good, **BUT** to determine the *individual* couplings we need more input from ??? There is a **proposal** to add either an e^\pm ring to the LHC or add a linac so that high energy **ep** collisions occur :

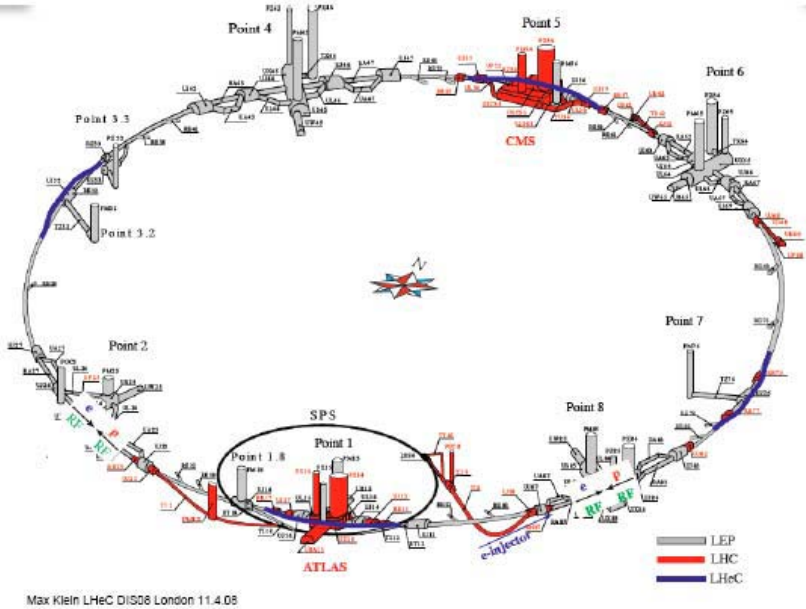
Summary and Proposal endorsed by ECFA 30.11.07

As an add-on to the LHC, the LHeC delivers in excess of 1 TeV to the electron-quark cms system. It accesses high parton densities 'beyond' what is expected to be the unitarity limit. Its physics is thus fundamental and deserves to be further worked out, also with respect to the findings at the LHC and the final results of the Tevatron and of HERA.

First considerations of a ring-ring and a linac-ring accelerator layout lead to an unprecedented combination of energy and luminosity in lepton-hadron physics, exploiting the latest developments in accelerator and detector technology.

It is thus decided to hold two workshops (2008 and 2009), under the auspices of ECFA and CERN, with the goal of having a Conceptual Design Report on the accelerator, the experiment and the physics.
A Technical Design report will then follow if appropriate.

Comparison Linac-Ring and Ring-Ring



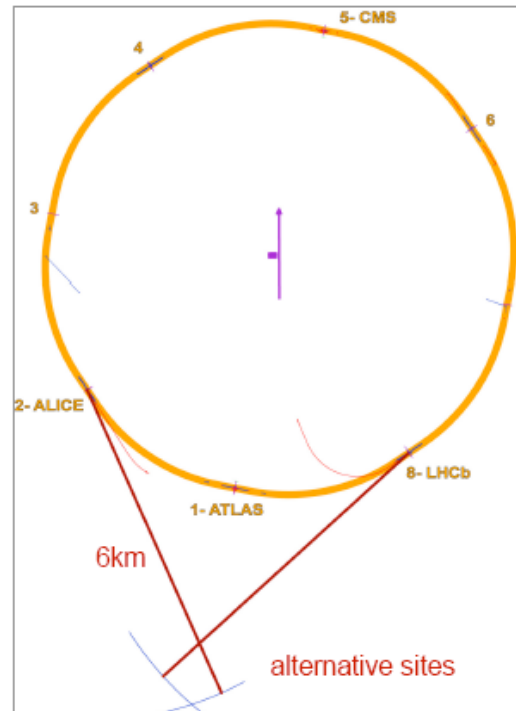
Max Klein LHeC DIS08 London 11.4.08

Energy / GeV	40-140	40-80
Luminosity / $10^{32} \text{ cm}^{-2} \text{ s}^{-1}$	0.5	10
Mean Luminosity, relative	2	1 [dump at L_{peak}/e]
Lepton Polarisation	60-80%	30% [?]
Tunnel / km	6	$2.5=0.5 * 5$ bypasses
Biggest challenge	CW cavities	Civil Engineering Ring+Rf installation
Biggest limitation	luminosity (ERL,CW)	maximum energy
IR	not considered yet one design? (eRHIC)	allows ep+pp 2 configurations [lo, hiq]

LHeC

Two possible scenarios..
each with its own strengths
and weaknesses

For more details, see
www.ep.ph.bham.ac.uk/exp/LHeC/



e^{\pm} Linac - p/A Ring

	units	ring-linac pulsed		ring-linac, cw, ~99% energy recovery	
		e-	p	e-	p
energy	GeV	70	7000	70	7000
punch population	10^{10}	2	17	2	17
σ_z	cm	0.03	7.55	0.03	7.55
beam current (pulsed)	mA	101	858	101	858
emittance ϵ_{xy}	nm	0.5, 0.5			
β_{xy}^*	cm	15, 15			
spacing	ns	25			
e-linac/ring length	km	3.5	7 (2 linacs)		
e- pulse length		1 ms	cw		
repetition rate		5 Hz	continuous		
e- beam power	MW	35	7000		
peak luminosity	$10^{32} \text{ cm}^{-2} \text{ s}^{-1}$	0.6	2x110		

Bottom line: polarized $e^\pm p$ collisions in the $1.5 < \sqrt{s} < 2$ TeV range
Can these be used to get new coupling info on the Z' while we wait for a linear collider? **Is there any Z' coupling sensitivity?**

Let's see what such a machine can do to address our problem..

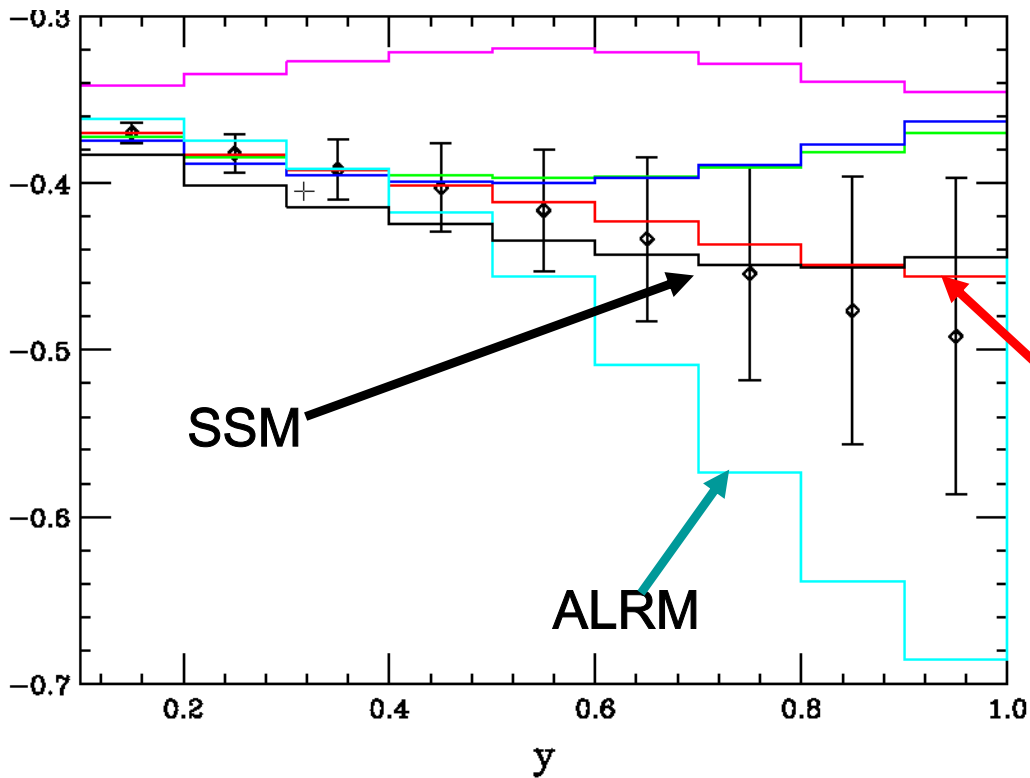
Technique: form polarization asymmetries to reduce systematics & PDF uncertainties. Apply (x,y,Q^2) cuts to increase sensitivity & then integrate over the remaining x range.

$$A^\pm = \frac{d\sigma(e_L^\pm) - d\sigma(e_R^\pm)}{d\sigma(e_L^\pm) + d\sigma(e_R^\pm)}$$

These asymmetries are found to have a completely different dependence on the Z' couplings than do the Drell-Yan observables at the LHC itself

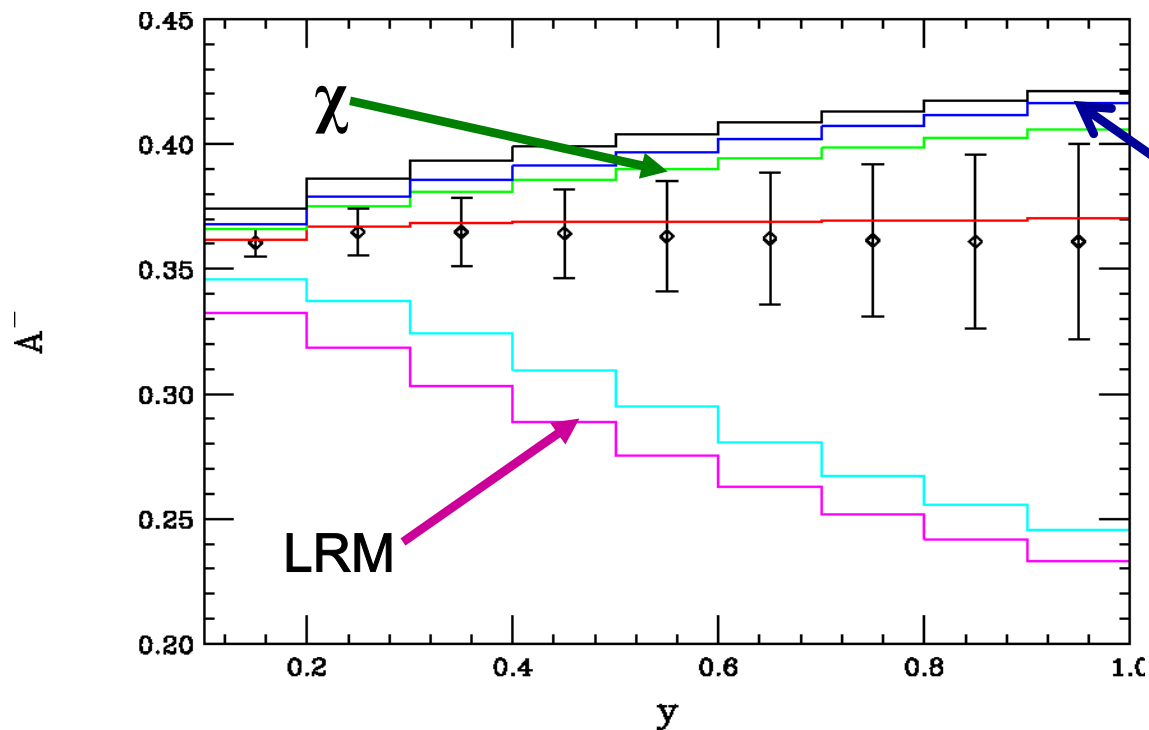
$$C_{L,R} = \frac{d\sigma(e_{L,R}^-) - d\sigma(e_{L,R}^+)}{d\sigma(e_{L,R}^-) + d\sigma(e_{L,R}^+)}$$

$$B_{1,2} = \frac{d\sigma(e_{L,R}^-) - d\sigma(e_{R,L}^+)}{d\sigma(e_{L,R}^-) + d\sigma(e_{R,L}^+)}$$

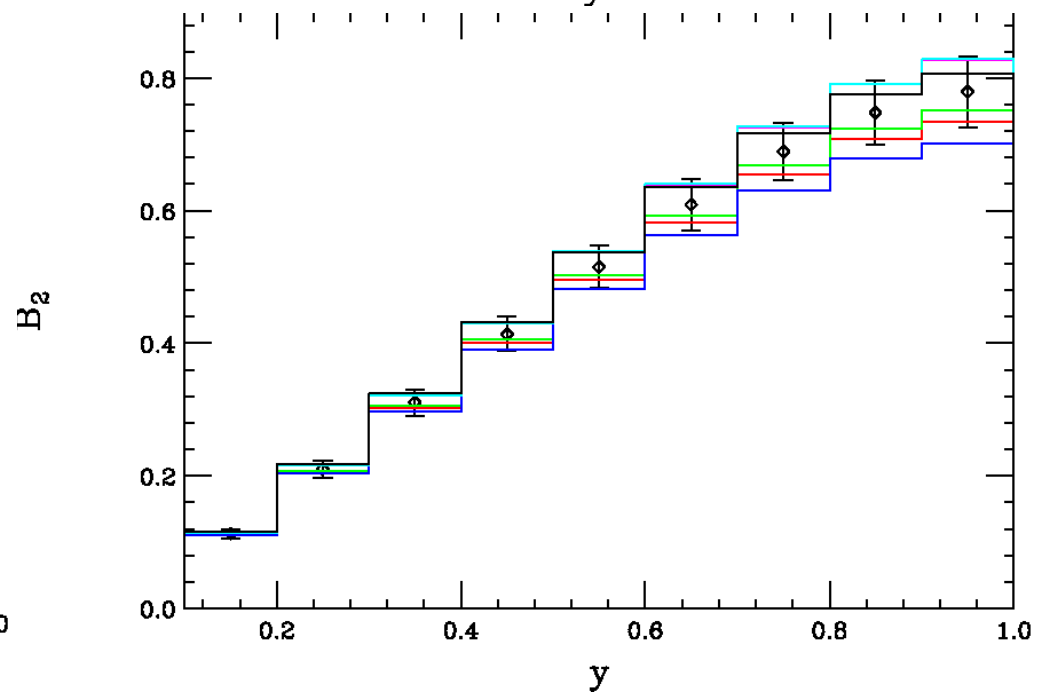
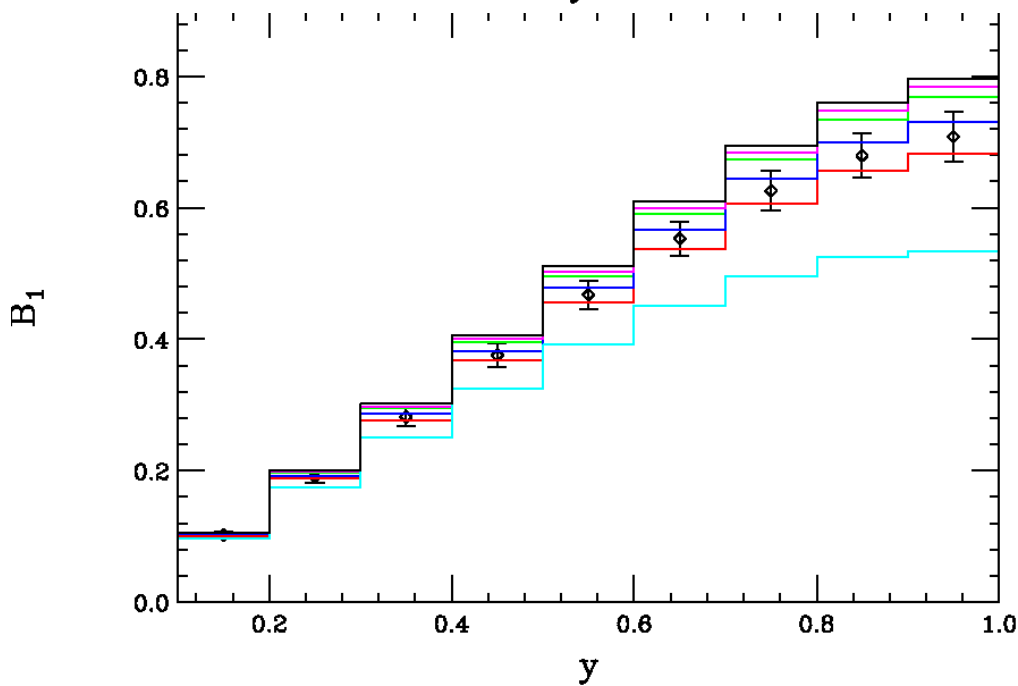
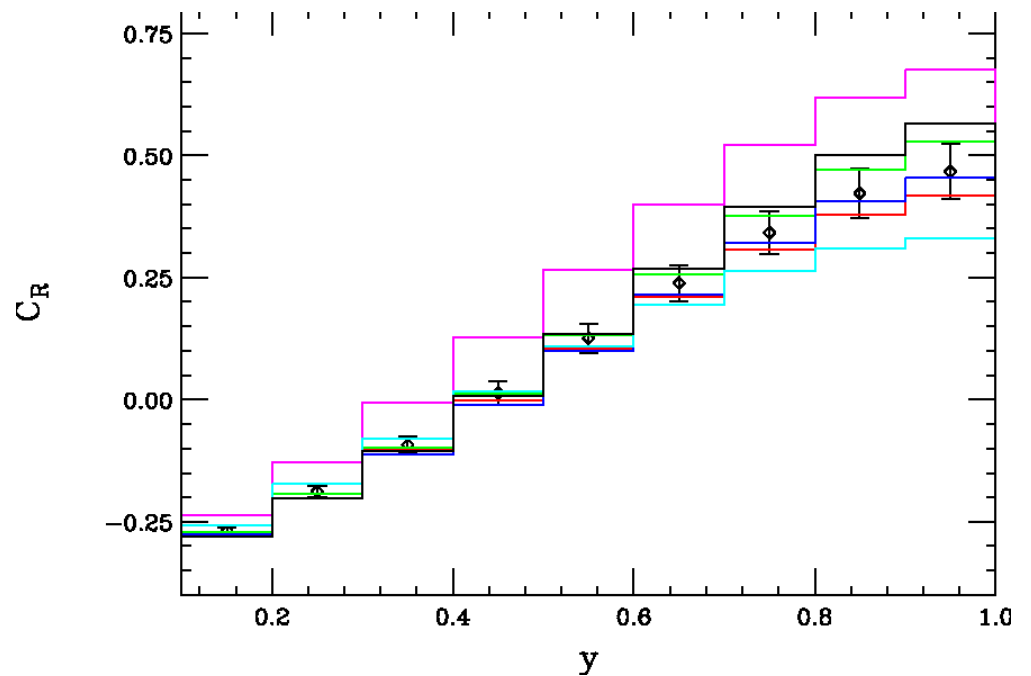
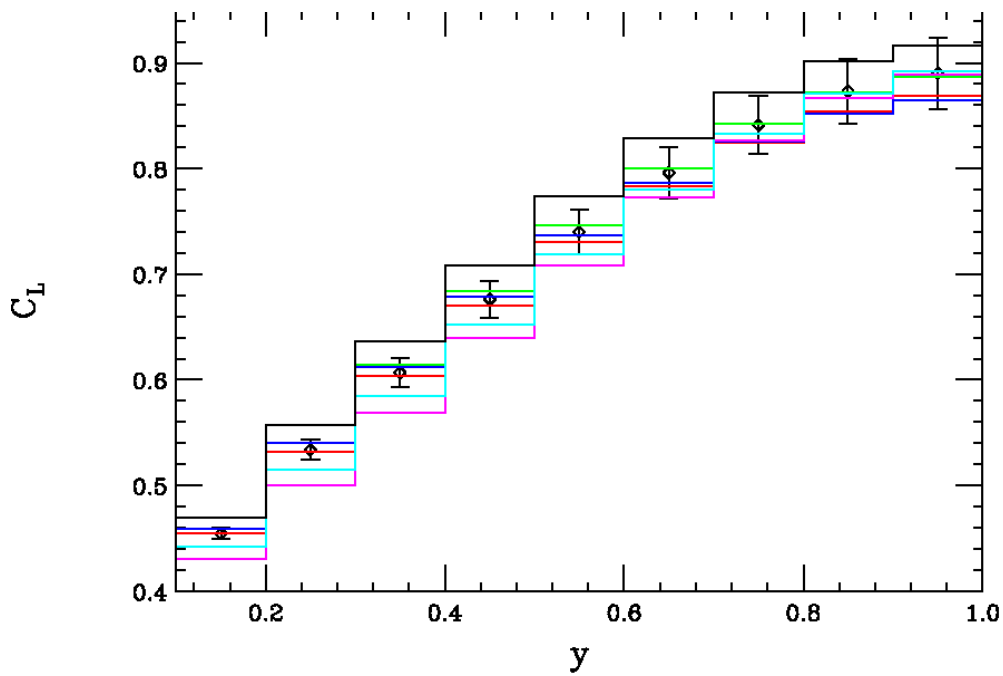


Example: $M_Z = 1.2$ TeV
 with ep @ $\sqrt{s} = 1.5$ TeV
 'data' = SM prediction

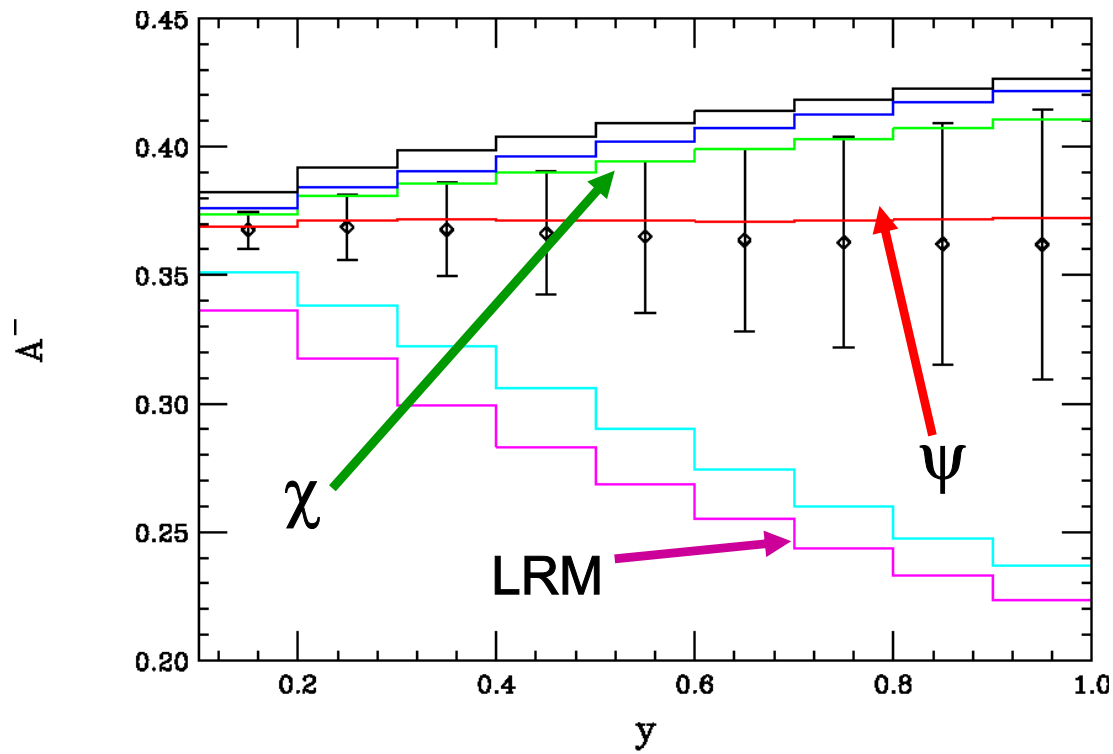
We'll use GUT-inspired
 models for demonstration
 purposes



Clearly these variables
 show substantial
 coupling sensitivity

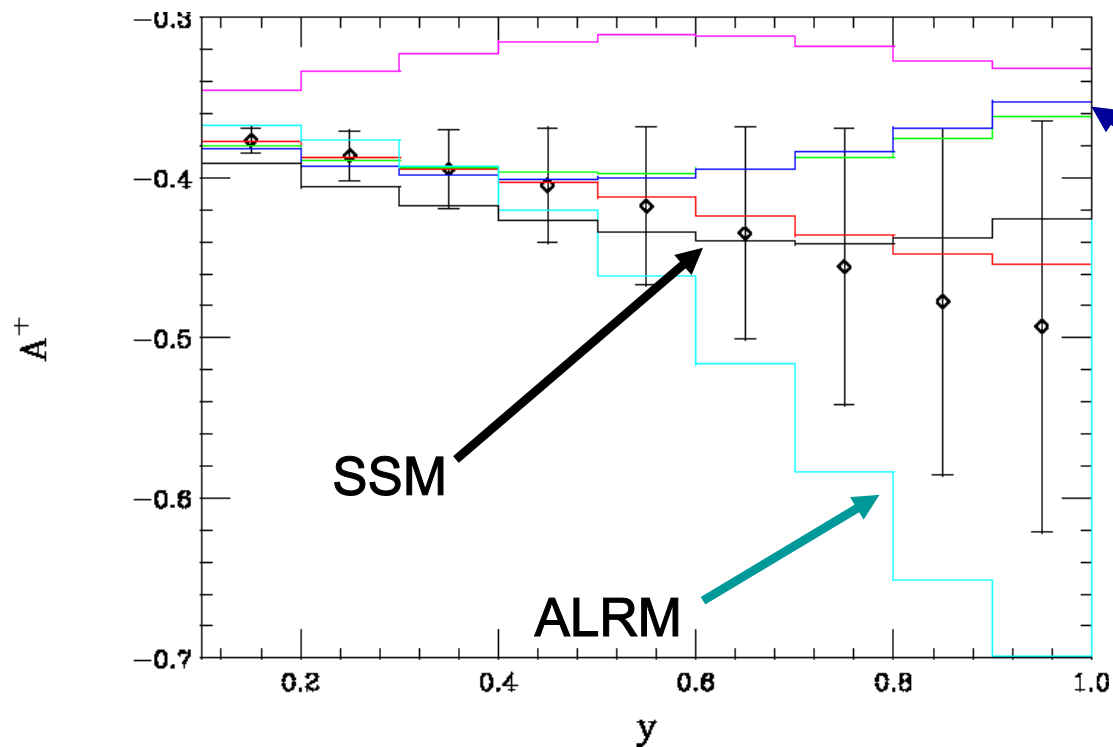


Different asymmetries show a wide range of various sensitivities to Z' couplings but only 4 of them are independent...



Example: $M_{Z'} = 1.5$ TeV
 with ep @ $\sqrt{s} = 2$ TeV
 `data`=SM prediction

Improved mass reach but
 lower sensitivity due to
 smaller cross section...
 doesn't look very good
 for much heavier Z' states



We again see that there
 is substantial model
 sensitivity in these
 asymmetries

Summary

- The LHC can easily find heavy Z' -like states but it can only obtain detailed coupling info if they are reasonable light $M < 1.5\text{-}2\text{ TeV}$ since very high statistics is required
- Even in the best case scenario the LHC cannot uniquely determine the SM fermion couplings to the Z' since there are not enough observables even with the SLHC (though this will help a lot with other potential observables)
- A LC can be used to solve this problem BUT we might be able to get additional information sooner (?) employing the LHeC
- We have shown that LHeC *may* have the desired capability if the Z' is light enough *but* a believable evaluation awaits a realistic design study

BACKUP SLIDES

Table 1.2. Results on σ_U and $\sigma_U \times \Gamma_{Z'}$ for all studied models from ATLAS. Here one compares the input values from the generator with the reconstructed values obtained after full detector simulation.

		σ_U^{gen} (fb)	σ_U^{rec} (fb)	$\sigma_U^{rec} \times \Gamma_{rec}$ (fb.GeV)
$M = 1.5$ TeV	<i>SSM</i>	78.4 ± 0.8	78.5 ± 1.8	3550 ± 137
	ψ	22.6 ± 0.3	22.7 ± 0.6	166 ± 15
	χ	47.5 ± 0.6	48.4 ± 1.3	800 ± 47
	η	26.2 ± 0.3	24.6 ± 0.6	212 ± 16
	<i>LR</i>	50.8 ± 0.6	51.1 ± 1.3	1495 ± 72
$M = 4$ TeV	<i>SSM</i>	0.16 ± 0.002	0.16 ± 0.004	19 ± 1
	<i>KK</i>	2.2 ± 0.07	2.2 ± 0.12	331 ± 35

Other Possible Z' Observables For Coupling Determinations

- $Z' \rightarrow \tau\tau$, polarization measurement
- Associated on-shell $Z' + (W, Z, \gamma)$ production
- Rare Decays: $Z' \rightarrow \bar{f} f' V$ ($V = W, Z$; $f = l, \nu$)
- $Z' \rightarrow WW, Zh$
- $Z' \rightarrow \bar{b}b, \bar{t}t$
- etc