

# **Attention**



Top-down attention: Information in working memory selectively enhances neural representations of sensory stimuli [Desimone01].





# **Macaque brain**





## **Visual Cortex (V4): Spatial attention**

Recordings from a V4 cell showing enhanced responses in the attended mode (black) relative to the unattended mode (gray). Spike rates are affected multiplicatively [Maunsell1999].





#### **Visual Cortex (MT): Feature attention**

Attention to the neuron's preferred direction of motion increased the neuron's response, but attention to the null direction of motion decreased its response. Thus, attention to a particular direction of motion does not increase responses across all neurons. Rather, it has a push-pulleffect that increases responses only for neurons that prefer motion close to the attended direction [Treue06].



### **Visual cortex (V4): Gamma increases**

[Sejnowski01,Steinmetz00].



Simultaneously recorded spikes and local field potential (LFP) with attention directed inside (red) or outside (blue) the cell's receptive field. The LFPs' spike-triggered averages (STA) and the STAs' power spectra were computed [Sejnowski01,Steinmetz00].



## **Somatosensory cortex (SII): Synchrony increases**



Spike trains recorded from a pair of neurons (red and green) in secondary somatosensory cortex with (a) and without (b) attention. Synchronous spikes (within 2.4ms) are indicated (blue) and quantified in the cross-correlation histogram above, with (red) and without (blue) attention (excess over Poisson) [Sejnowski01,Steinmetz00].



# **Cholinergic modulation**



Acetylcholine enhances the effect of attention (green - black vs red - blue) in V1; bars of various lengths were presented [Thiele08]. It may act by enhancing both excitatory and inhibitiory synaptic transmission, as has been shown in vitro.



### **Controlling synchrony**



When inhibition's strength ( $\Delta G$ ) surpasses a critical level, synchrony appears (left, demo; right,  $G_{\text{max}}$ ,  $G_{\text{min}}$ , and  $\langle G \rangle$  over a cycle versus  $\Delta G$ ). Rate-based models predict that synchrony appears when the loop-gain exceeds unity (i.e.,  $m s > 1$ , where  $m$  and  $1/s$  are the  $A(G)$  and  $G(A)$  curves' slopes, respectively. However, these models ignore heterogeneity, which makes synchrony more difficult to achieve.



#### **Kuramoto model addresses heterogeneity**



Phases of coupled oscillators with weak (left) and strong (right) coupling. Color and ball-size indicate the oscillators' different intrinsic frequences; dashed circle and marker indicate the order parameter's magnitude and phase (i.e., vector strength).

Read tutorial: http://tutorials.siam.org/dsweb/cotutorial/index.php?s=4&p=0 Download Java applet: http://www.johnwordsworth.com/tutorials/Kuramoto/media/applet/Kuramoto.jnlp

Instead of pulse-coupling, this model uses phase-coupling:

$$
\dot{\theta}_i = \omega_i + \frac{K}{N} \sum_{j=1}^N \sin[\theta_j - \theta_i], \qquad i = 1...N
$$

Instead of vector strength, an order parameter is defined:



#### **Relating coupling strength (K) to the PRC**



The Kuramoto model's sinusoidal phase-coupling corresponds to a PRC that is a flipped sinusoid. To obtain the Kuramoto model's coupling strength,  $K$ , we must multiply the PRC's maximum advance/delay,  $\Delta T_{max}$ , by the network's total spike rate.

Consider only the  $j<sup>th</sup>$  oscillator's effect on the  $i<sup>th</sup>$  oscillator:

$$
\dot{\theta}_i = ... + \frac{K}{N} \sin[\theta_j - \theta_i] + ...
$$

If the *i*<sup>th</sup> oscillator's phase is  $\Theta$  when the *j*<sup>th</sup> oscillator's phase is  $0$  — which, by definition, is when it spikes — then we have  $\theta_i = \Theta + \theta_j$ , or  $\theta_j - \theta_i = -\Theta$ . This assumes that the phase-difference remains constant throughout that cycle. In which case, the total change in the  $i<sup>th</sup>$  oscillator's phase over the complete cycle — which, by definition, is the PRC — will be:

$$
\text{PRC}[\Theta] = \int_0^T \stackrel{\bullet}{\theta_i} \, \text{d}t = \int_0^T \frac{K}{N} \sin[-\Theta] \, \text{d}t = -T - \sin[\Theta]
$$

Hence, this model assumes the PRC is a flipped sinusoid. The PRC's maximum delay/advance,  $\Delta T_{max}$ , is related to the coupling strength, *K*, by

$$
\Delta T_{\text{max}} = T K / N
$$
  

$$
\Leftrightarrow K = N \Delta T_{\text{max}} / T
$$

Hence, we must multiply the PRC's amplitude — or inhibition's synaptic strength  $(\Delta G)$  — by the network's total firing rate to convert it into the Kuramoto model's coupling strength (K).