SOVEREIGN RISK AND BANK RISK-TAKING

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NBER IFM Meeting

Boston, March 2018

INTRODUCTION

- Proposes a model to understand certain aspects of European debt crisis
 - · Increasing exposure of local banks to domestic sovereign debt
 - Crowding out of loans to private sector
- Mechanism builds on a feedback loop between risk and banks' risk-taking incentives
- Lots of material in the paper
 - Two period model to explain mechanism
 - Quantitative dynamic model fit to Portugal. Find that mechanism quantitatively important
 - Analysis of ECB interventions

OVERVIEW OF DISCUSSION

Ambitious project on a very important topic. Mechanism more general than application

This discussion:

- 1 Simplified two period model to isolate the mechanism
- 2 Two types of remarks
 - Evidence on the mechanism?
 - More discipline on quantitative analysis

A SIMPLIFIED MODEL WITHOUT GOVERNMENT BONDS

· Banks borrow from depositors and lend to firms. The budget constraint is

$$n + q(d)d \ge q^l(l)l$$

- Two states of the world. With probability π payouts from loan is $\theta^l < 1$
- Banks choose (d, l) to maximize profits under limited liability,

$$(1-\pi)[l-d] + \pi \max\{0, \theta^l l - d\}$$

• In case of default, depositors get θ^l for every dollar lent. Pricing schedule

$$q(d) = \begin{cases} q^* & \text{if } d \ge \theta^l l \\ q^*[(1-\pi) + \pi \theta^l] & \text{otherwise} \end{cases}$$

Note: Depositors need to form expectations about l

CANDIDATE EQUILIBRIA

Consider two candidate equilibria

- "Safe": bank does not default
- "Risky": bank defaults in the bad state

In the safe equilibrium, the optimal loan of the bank solves

$$rac{q^l(l^s)+rac{\partial q^l(l^s)}{\partial l}l^s}{q^*}=[(1-\pi)+\pi heta^l]$$

In a risky equilibrium, the optimal loan of the bank solves

$$\frac{q^l(l^r) + \frac{\partial q^l(l^r)}{\partial l}l^r}{q^*[(1-\pi) + \pi\theta^l]} = (1-\pi)$$

Note that $l^r < l^s$ because bank funding costs higher in risky equilibrium

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REGIONS

The equilibrium played depends on net-worth (and possibly expectations)

• If $n \ge n^{\text{safe}}$, the risky equilibrium is not possible. How is n^{safe} defined?

$$\frac{q^{l}(l^{r})l^{r} - n^{\text{safe}}}{q^{*}[(1-\pi) + \pi\theta^{l}] \over d(n^{\text{safe}})} = \theta^{l}l^{r}$$

• If $n \le n^{\text{risky}}$, where n^{risky} solves

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MULTIPLE EQUILIBRIA

Why expectations of depositors matter for the equilibrium played?

- If depositors expect a bank default, they charge high interest rates
- Because of that, the bank needs to borrow more to finance its loans
- High borrowing exposes banks to default in the bad state at t = 2
- This validates depositors' expectations

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ADDING GOVERNMENT DEBT

• Introduce government debt. Priced by foreign investors,

$$q^b = q^*[(1-\pi) + \pi\theta^b]$$

• Bank can buy a government bond, at price q^b , up to a cap \overline{b} . The bank problem is

$$\max_{d,b \le \bar{b},l} (1-\pi)(b+l-d) + \pi \max\{0, \theta^b b + \theta^l l - b\}$$
$$n+q(d)d \ge q^b b + q^l(l)l$$

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BANK HOLDINGS OF GOVERNMENT DEBT ACROSS EQUILIBRIA

Optimal l same as before

In the safe equilibrium, optimal b satisfies

$$\frac{q^b}{q^*} \le (1 - \pi)$$

Because $q^b = (1 - \pi)q^*$, bank is indifferent over b

In the risky equilibrium, optimal b solves

$$\frac{q^b}{q^*[(1-\pi) + \pi\theta^l]} < (1-\pi)$$

- Because $\theta^l > \theta^b$, bank borrows at low rate and invests at high rates
- So, in the risky equilibrium $b = \bar{b}$

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GOVERNMENT DEBT AND FINANCIAL FRAGILITY

- Safe equilibrium as before (same net-worth cutoff)
- Risky equilibrium now features
 - Exposure to risky government debt
 - Loan as before
 - More leverage
- Note that economy is now more fragile: *n*^{risky} increases, so more net-worth states consistent with risky equilibrium

Cool! But more work needed to establish relevance

- Evidence supportive of mechanism
 - Local banks increased exposure during debt crisis
 - More fragile (less capitalized) banks purchased more sovereign debt
- Alternative narrative fitting data is "financial repression"
 - Evidence of moral suasion (De Marco and Macchiavelli, 2016)
 - Moral suasion should be stronger for less capitalized banks

- Mechanism works for other assets (E.g. state-owned firms)
- Did we see banks lending more to firms more correlated to government?

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Need more discipline on the mechanism in quantitative analysis

1 Little discipline on $\theta^l - \theta^b$, which is key for the mechanism

- Spread between sovereign and banks borrowing rates drives risk-taking incentives
- Should be a key empirical target in the analysis
- How should we think about deposit insurance?
- 2 Model lacks features that should dampen risk-taking incentives
 - No restrictions on bank leverage
 - No price elasticity for government bonds (small open economy)
 - With strategic default, holdings of government debt by banks reduce default risk (Chari, Dovis and Kehoe, 2016)

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CONCLUSION

- Very nice paper
- Two suggestions
 - More evidence on the mechanism
 - More discipline in quantitative analysis